## Boosting & Randomized Forests for Visual Recognition

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ICCV 2009, Kyoto, Japan

http://mi.eng.cam.ac.uk/~tkk22/iccv09\_tutorial

## **Course Overview**



- Coffee break
  - half way through Part II
- ✤ Questions
  - please ask as we go

- References & web resources
  - at end of each part
- Notation
  - may differ slightly between parts

http://mi.eng.cam.ac.uk/~tkk22/iccv09\_tutorial

## Part I

#### **Randomized Decision Forests**

- Very fast tools for
  - classification
  - clustering
  - regression
- Good generalization through randomized training
- Inherently multi-class
  - automatic feature sharing

[Torralba et al. 07]

Simple training / testing algorithms

"Randomized Decision Forests" = "Randomized Forests" = "Random Forests™"

#### **Randomized Forests in Vision**



### Outline

### Randomized Forests

- motivation
- training & testing
- implementation
- regression, clustering, max-margin, boosting

### Applications to Vision

- keypoint recognition
- object segmentation
- human pose estimation
- organ detection



#### The Basics: Is The Grass Wet?



#### The Basics: Binary Decision Trees



#### Decision Tree Pseudo-Code

```
double[] ClassifyDT(node, v)
   if node.IsSplitNode then
      if node.f(v) >= node.t then
          return ClassifyDT(node.right, v)
      else
          return ClassifyDT(node.left, v)
      end
   else
      return node.P
   end
end
```

- Try several lines, chosen at random
- Keep line that best separates data
  - information gain



 $\mathbf{v} = [x, y]^T$ 

 $t_\eta$ 

#### Recurse

- feature vectors are x, y coordinates:
- split functions are lines with parameters a, b:  $f_n(\mathbf{v}) = ax + by$
- threshold determines intercepts:
- four classes: purple, blue, red, green

- Try several lines, chosen at random
- Keep line that best separates data
  - information gain



 $t_n$ 

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#### **Randomized Learning**

#### • Recursively split examples at node $\boldsymbol{n}$

- set  $I_n$  indexes labeled training examples ( $\mathbf{v}_i, l_i$ ):

$$\begin{array}{lll} \begin{array}{l} \text{left split} \\ & \swarrow \end{array} I_{1} \end{array} = \left\{ i \in I_{n} \mid f(\mathbf{v}_{i}) < t \right\} \\ \text{right split} I_{r} \end{array} = \left. I_{n} \setminus I_{1} \right. \\ \left. \int_{\text{threshold}} \int_{\text{function of example } i's \\ \text{feature vector} \end{array} \right.$$

• At node n,  $P_n(c)$  is histogram of example labels  $l_i$ 

#### More Randomized Learning

$$\begin{array}{lll} \mbox{left split} & I_1 & = & \{i \in I_n \mid f(\mathbf{v}_i) < t\} \\ \mbox{right split} & I_r & = & I_n \setminus I_1 \end{array}$$

- Features  $f(\mathbf{v})$  chosen at random from feature pool  $f \in F$
- Thresholds t chosen in range  $t \in (\min_i f(\mathbf{v}_i), \max_i f(\mathbf{v}_i))$
- Choose f and t to maximize gain in information

$$\Delta E = -\frac{|I_{l}|}{|I_{n}|}E(I_{l}) - \frac{|I_{r}|}{|I_{n}|}E(I_{r})$$

Entropy E calculated from histogram of labels in  ${\cal I}$ 

#### **Implementation Details**

- How many features and thresholds to try?
  - just one = "extremely randomized" [Geurts et al. 06]
  - few -> fast training, may under-fit, maybe too deep
  - many -> slower training, may over-fit
- When to stop growing the tree?
  - maximum depth
  - minimum entropy gain
  - delta class distribution
  - pruning

#### Randomized Learning Pseudo Code

```
TreeNode LearnDT(I)
```

```
repeat featureTests times
  let f = RndFeature()
  let r = EvaluateFeatureResponses(I, f)
  repeat threshTests times
     let t = RndThreshold(r)
     let (I_l, I_r) = Split(I, r, t)
     let gain = InfoGain(I_l, I_r)
     if gain is best then remember f, t, I_l, I_r
  end
end
if best gain is sufficient
  return SplitNode(f, t, LearnDT(I_1), LearnDT(I_r))
```

```
else
```

```
return LeafNode(HistogramExamples(I))
```

end end

### **Training Strategies**



- Recursive algorithm
  - partitions all training examples
- Store all images in memory
  - can be memory hungry
- Good for
  - smaller data sets
  - deeper trees



- One pass through data per tree level
  - can load images on-the-fly
- Maintain 4D histogram of size



- Good for
  - very large data sets
  - shallower trees

#### **GPU Acceleration**

#### GPUs can dramatically accelerate

- training 10x speed-up breadth first
- testing 100x speed-up
- Tree is encoded as GPU texture



#### • Caveats

- some limitations on image features
- implementation requires considerable GPU know-how

#### **Binary Decision Trees Summary**

#### Fast greedy training algorithms

- can search infinite pool of features
- heterogeneous pool of features
- Fast testing algorithm
- Needs careful choice of hyper-parameters
  - maximum depth
  - number of features and thresholds to try
- Prone to over-fitting

#### **A Forest of Trees**



#### Decision Forests Pseudo-Code

```
double[] ClassifyDF(forest, v)
   // allocate memory
   let P = double[forest.CountClasses]
   // loop over trees in forest
   for t = 1 to forest.CountTrees
      let P' = ClassifyDT(forest.Tree[t], v)
      P = P + P' // sum distributions
   end
```

```
// normalise
P = P / forest.CountTrees
end
```

#### Learning a Forest

- Divide training examples into T subsets  $I_t \subseteq I$ 
  - improves generalization
  - reduces memory requirements & training time
- Train each decision tree t on subset  $I_t$ 
  - same decision tree learning as before

#### Multi-core friendly

- Subsets can be chosen at random or hand-picked
- Subsets can have overlap (and usually do)
- Can enforce subsets of *images* (not just examples)
- Could also divide the feature pool into subsets

#### Learning a Forest Pseudo Code

```
Forest LearnDF(countTrees, I)
   // allocate memory
   let forest = Forest(countTrees)
   // loop over trees in forest
   for t = 1 to countTrees
      let I_t = RandomSplit(I)
      forest[t] = LearnDT(I_t)
   end
```

// return forest object
 return forest
end



6 classes in a 2 dimensional feature space. Split functions are lines in this space.

🖳 Demo	
് ക്രിക്കം	Number of Categories (2- 20)
	Generate New Examples
	Max Depth (2-10)
	Number of Trees (1-100)
	Leam Forest
	Tree Classification
	<ul> <li>Forest Classification</li> </ul>

With a depth 2 tree, you cannot separate all six classes.

Per Demo	
م شهرهای ه	Number of Categories (2- 20)
	Generate New Examples
	Max Depth (2-10)
	Number of Trees (1-100)
	Leam Forest
	Tree Classification
	Ģ
	Forest Classification

With a depth 3 tree, you are doing better, but still cannot separate all six classes.



With a depth 4 tree, you now have at least as many leaf nodes as classes, and so are able to classify most examples correctly.



Different trees within a forest can give rise to very different decision boundaries, none of which is particularly good on its own.

🖳 Demo	
° 288° °	Number of Categories (2-20)
	Generate New Examples
	Max Depth (2-10)
	Number of Trees (1-100)
24/2.74	Learn Forest
	Tree Classification
	<ul> <li>Forest Classification</li> </ul>

But averaging together many trees in a forest can result in decision boundaries that look very sensible, and are even quite close to the max margin classifier. (Shading represents entropy – darker is higher entropy).

#### Tree outputs and objective functions

#### Trees can be trained for

- classification, regression, or clustering

#### Change the object function

- information gain for classification:  $I = H(S) - \sum_{i=1}^{2} \frac{|S_i|}{|S|} H(S_i)$ 

measure of distribution purity



#### **Regression trees**



- Real-valued output y -
- Real-valued output y Object function: maximize  $Err(S) \sum_{i=1}^{2} \frac{|S_i|}{|S|} Err(S_i)$ -

measure of fit of model

$$Err(S) = \sum_{j \in S} (y_j - y(x_j))^2$$

e.g. linear model y = ax+b, Or just constant model

#### **Clustering trees**



- Output is cluster membership
- Option 1 minimize imbalance:

 $B = |\log|S_1| - \log|S_2||$ 

[Moosmann et al. 06]

- Option 2 – maximize Gaussian likelihood:

$$T = |\Lambda_S| - \sum_{i=1}^2 \frac{|S_i|}{|S|} |\Lambda_{S_i}|$$

measure of cluster tightness (maximizing a function of info gain for Gaussian distributions)

### **Clustering example**

 Visual words good for e.g. matching, recognition but k-means clustering very slow

[Sivic *et al.* 03] [Csurka *et al.* 04]

- Randomized forests for clustering descriptors
  - e.g. SIFT, texton filter-banks, etc.
- Leaf nodes in forest are clusters
  - concatenate histograms from trees in forest



#### **Clustering example**

[Moosmann et al. 06]



#### **Relation to other parts of this tutorial**

#### • Boosting (Part II)

- decision trees as weak learners
- boosted classifiers as split functions

• Online learning (Part III)

- trees can be updated 'online'
  - distributions of leaves
  - structure of tree

[Tu 05]

[Yeh et al. 07]

#### [Viola & Jones 04]

#### Boosted Cascades

- very unbalanced tree
- good for unbalanced binary problems
   e.g. sliding window object detection

#### Randomized forests

- less deep, fairly balanced
- ensemble of trees gives robustness
- good for multi-class problems

### **Relation to Max-Margin Classifiers**

- Max-margin split functions
  - split functions have built-in generalization



#### • Tree of max-margin classifiers (SVMs)

#### [Tibshirani & Hastie, 07]

recursively partition set of classes down the tree



[Wu et al., 00]

#### **Random Ferns**

• Naïve Bayes classifier over random sets of features

$$P(C|f_1, ..., f_N) \propto P(f_1, ..., f_N|C)P(C)$$
 Bayes' rule  
 $\approx \prod_{j=1}^N P(f_j|C)$  "naïve Bayes"  
individual features

$$= \prod_{k=1}^{M} P(F_k|C)$$
  
set of features

"random ferns"

• Can be good alternative to randomized forests

 $\approx$ 

[Özuysal *et al.* 07] [Bosch *et al.* 07]

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### **Fast Keypoint Recognition**

#### [Lepetit et al. 06]

• Wide-baseline matching as classification problem



- Extract prominent key-points in training images
- Forest classifies
  - patches -> keypoints
- Features
  - pixel comparisons



- Augmented training set
  - gives robustness to patch scaling, translation, rotation

### **Fast Keypoint Recognition**

#### • Example videos

from <u>http://cvlab.epfl.ch/research/augm/detect.php</u>



#### **Real-Time Object Segmentation**

[Shotton *et al.* 2008]

Segment image and label segments in real-time



Pause Video

CVPR 2008 Best Demo Award!

#### **Object Recognition Pipeline**



#### **Object Recognition Pipeline**



#### Semantic Texton Forest (STF)

- decision forest for clustering & classification
- tree nodes have learned object category associations

#### classification algorithm

SVM, decision forest, boosting

#### **Example Semantic Texton Forest**



#### **Leaf Node Visualization**

• Average of all training patches at each leaf node



#### **Semantic Textons & Local Classification**



#### **Segmentation Forest**

Object segmentation



- Adapt TextonBoost [Shotton et al. 07]
  - textons  $\rightarrow$

- boosted classifier  $\rightarrow$  randomized decision forest semantic textons

#### **MSRC** Dataset Results



building	grass	tree	cow	sheep	sky	airplane	water	face	car	at
bicycle	flower	sign	bird	book	chair	road	cat	dog	body	poq

#### **3D Point-Cloud Features**



test image

#### ground truth

#### result

- [Brostow et al. 08]
  - structure-from-motion cues for object segmentation

#### **Human Pose Estimation**

### [Rogez et al. 08]

#### Torus defined on

- dimension 1: cyclical action (e.g. walking)
- dimension 2: camera view point (360 degrees)
- Discrete bins on the torus used as classes in random forest





#### **Organ Recognition**

[Criminisi et al. 09]

• Quickly localize bodily organs in 3D CT scans

#### Decision Forests with Long-Range Spatial Context for Organ Localization in CT Volumes

A. Criminisi, J. Shotton and S. Bucciarelli Microsoft Research Ltd, Cambridge, UK

In Proc. MICCAI workshop on Probabilistic Models for Medical Image Analysis (PMMIA), London, 2009.

#### **Brain Segmentation**

#### [Yi et al. MICCAI 09]

ground truth





result

Method	CSF	GM	WM
Adaptive MAP	0.069	0.564	0.567
Biased MAP	0.071	0.558	0.562
Fuzzy c-means	0.048	0.473	0.567
Maximum-a-posteriori (MAP)	0.071	0.550	0.554
Maximum-likelihood	0.062	0.535	0.551
Tree-Structure k-means	0.049	0.477	0.571
MPM-MAP [11]	0.227	0.662	0.683
MAP with histograms	$0.549 \pm 0.017$	$0.814\pm0.004$	$0.710 \pm 0.005$
Decision Forest Classifier	$0.614 \pm 0.015$	$0.838 \pm 0.006$	$0.731 \pm 0.007$

#### **Take Home Message from Part I**

- Randomized decision forests
  - -very fast

accuracy comparable with other classifiers

- simple to implement

- extremely flexible tools for computer vision

#### **References (red = most relevant)**

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Adaptive Vocabulary Forests for Dynamic Indexing and Categry Learning.

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#### Web Resources on Random Forests

#### Tutorial Webpage

- http://mi.eng.cam.ac.uk/~tkk22/iccv09\_tutorial
- Leo Breiman's Webpage
  - http://www.stat.berkeley.edu/~breiman/RandomForests
- Regression Trees
  - http://www.stat.cmu.edu/~cshalizi/350-2006/lecture-10.pdf

http://mi.eng.cam.ac.uk/~tkk22/iccv09\_tutorial

# End of Part I Thank You

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